

oolong: An Extensible Concurrent Object Calculus

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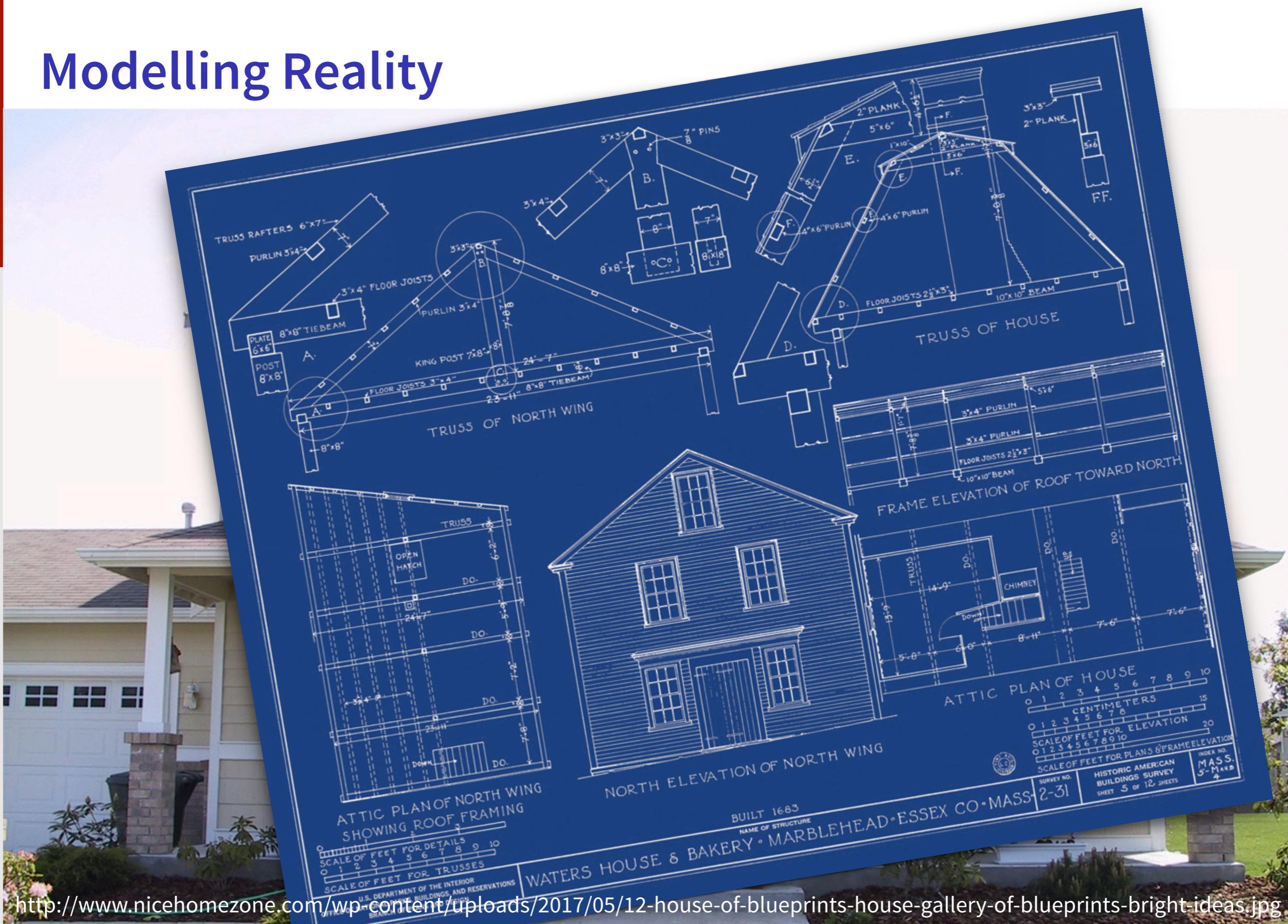
Pau, France



Modelling Reality



Modelling Reality



Modelling Reality



Modelling Programming Languages

Featherweight Java

ClassicJava

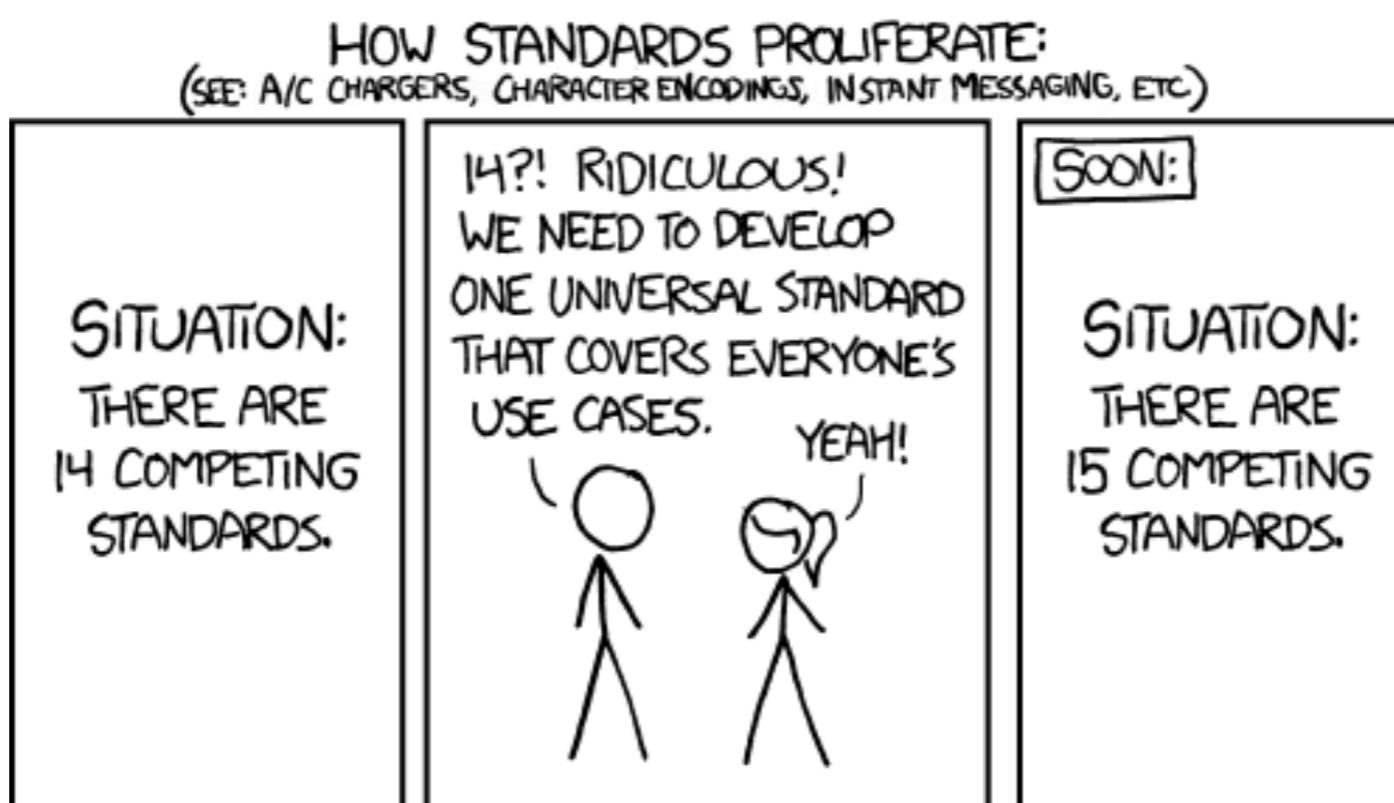
ConcurrentJava

Lightweight Java

Middleweight Java

Welterweight Java

The Java logo, featuring the word "Java" in a bold, orange, sans-serif font with a trademark symbol, and a blue swoosh underneath.

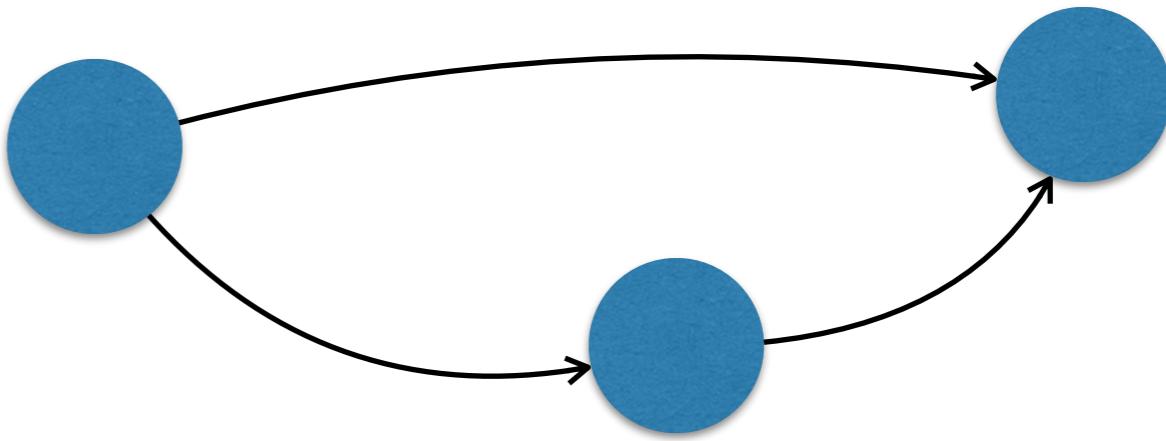


Different Calculi have Different Level of Detail

	FJ	C1J	ConJ	MJ	LJ	WJ
State		×	×	×	×	×
Statements				×	×	×
Expressions	×	×	×	×		
Class Inheritance	×	×	×	×	×	×
Interfaces		×				
Concurrency			×			×
Stack				×		×
Mechanised	×*				×	
L <small>A</small> T <small>E</small> X sources					×	×

Key Features of Object-Orientation?

- Aliasing and mutable state



- Subtype polymorphism – Not necessarily inheritance!

```
public static void foo(List<Integer> l) {  
    l.append(42);  
}  
  
public static void main(String args[]) {  
    ArrayList<Integer> l = new ArrayList<Integer>();  
    foo(l);  
    return 0;  
}
```

OOlong – An Extensible Object Calculus

- **Design goals**

- Aliasing and state
- Subtyping
- Concurrency and synchronisation
- Mechanised semantics
- Simple to reuse and extend



OOlong is not Java

- Aims to model object-oriented languages in general
- Not tied to Java's design



<http://www.deenafarms.com/wp-content/uploads/2017/10/Coffee-Beans.jpg>

<https://www.zizira.com/wp-content/uploads/2016/06/Pure-Oolong-Tea-Earthy-Strong-and-Rich.png>

OOlong – Example Program

```
interface Counter {  
    add(x : int) : unit  
    get() : int  
}  
  
class Cell implements Counter {  
    cnt : int  
    def add(n : int) : unit {  
        this.cnt = this.cnt + n  
    }  
    def get() : int {  
        this.cnt  
    }  
}
```

```
let cell = new Cell in  
finish {  
    async {  
        lock(cell) in cell.add(1)  
    }  
    async {  
        lock(cell) in cell.add(2)  
    }  
};  
cell.get() // Read 3
```

OOlong – Comparison

	FJ	C1J	ConJ	MJ	LJ	WJ	OOlong
State		×	×	×	×	×	×
Statements				×	×	×	
Expressions	×	×	×	×			×
Class Inheritance	×	×	×	×	×	×	
Interfaces		×					×
Concurrency			×			×	×
Stack				×		×	
Mechanised	*x*				×		×
L <small>A</small> T <small>E</small> X sources					×	×	×

OOlong – Syntax

P	$::=$	$Ids\ Cds\ e$	(Programs)
Id	$::=$	interface $I\ \{Msigs\}$	(Interfaces)
	$ $	interface $I\ \mathbf{extends}\ I_1, I_2$	
Cd	$::=$	class $C\ \mathbf{implements}\ I\ \{Fds\ Mds\}$	(Classes)
$Msig$	$::=$	$m(x : t_1) : t_2$	(Signatures)
Fd	$::=$	$f : t$	(Fields)
Md	$::=$	def $Msig\ \{e\}$	(Methods)
e	$::=$	$v\ x\ x.f\ x.f = e$	(Expressions)
	$ $	$x.m(e)\ \mathbf{let}\ x = e_1\ \mathbf{in}\ e_2\ \mathbf{new}\ C\ (t)\ e$	
	$ $	finish { async { e_1 } async { e_2 }}; e_3	
	$ $	lock (x) in $e\ \mathbf{locked}_\iota\{e\}$	
v	$::=$	null $ \iota$	(Values)
t	$::=$	$C\ I\ \mathbf{Unit}$	(Types)
Γ	$::=$	$\epsilon\ \Gamma, x : t\ \Gamma, \iota : C$	(Typing environment)

OOlong – Static Semantics

$\boxed{\Gamma \vdash e : t}$ <p>WF-VAR</p> $\frac{\vdash \Gamma \quad \Gamma(x) = t}{\Gamma \vdash x : t}$	$(Typing Expressions)$	$\boxed{\vdash P : t \quad \vdash Id \quad \vdash Cd \quad \vdash Fd \quad \vdash Md}$ <p>(Well-formed program)</p>
$\boxed{\Gamma \vdash e_1 : t_1 \quad \Gamma, x : t_1 \vdash e_2 : t}$ <p>WF-LET</p> $\frac{}{\Gamma \vdash \text{let } x = e_1 \text{ in } e_2 : t}$		
$\boxed{\Gamma(x) = t_1 \quad \Gamma \vdash e : t_2 \quad \text{msigs}(t_1)(m) = y : t_2 \rightarrow t}$ <p>WF-CALL</p> $\frac{}{\Gamma \vdash x.m(e) : t}$	$\boxed{\Gamma \vdash e : t' \quad t' <: t}$ <p>WF-CAST</p> $\frac{}{\Gamma \vdash (t)e : t}$	$\boxed{\forall Id \in Ids. \vdash Id \quad \forall Cd \in Cds. \vdash Cd \quad \epsilon \vdash e : t}$ <p>WF-PROGRAM</p> $\frac{}{\vdash Ids Cds e : t}$
$\boxed{\Gamma \vdash x : C \quad \text{fields}(C)(f) = t}$ <p>WF-SELECT</p> $\frac{}{\Gamma \vdash x.f : t}$	$\boxed{\Gamma \vdash x : C \quad \Gamma \vdash e : t \quad \text{fields}(C)(f) = t}$ <p>WF-UPDATE</p> $\frac{}{\Gamma \vdash x.f = e : \text{Unit}}$	$\boxed{\vdash \Gamma \quad \vdash C}$ <p>WF-NEW</p> $\frac{}{\Gamma \vdash \text{new } C : C}$
$\boxed{\vdash \Gamma \quad \Gamma(\iota) = C \quad C <: t}$ <p>WF-LOC</p> $\frac{}{\Gamma \vdash \iota : t}$	$\boxed{\vdash \Gamma \quad \vdash t}$ <p>WF-NULL</p> $\frac{}{\Gamma \vdash \text{null} : t}$	$\boxed{\forall m(x : t) : t' \in Msigs. \vdash t \wedge \vdash t'}$ <p>WF-INTERFACE</p> $\frac{}{\vdash \text{interface } I \{ Msigs \}}$
$\boxed{\Gamma = \Gamma_1 + \Gamma_2 \quad \Gamma_1 \vdash e_1 : t_1 \quad \Gamma_2 \vdash e_2 : t_2 \quad \Gamma \vdash e : t}$ <p>WF-FJ</p> $\frac{}{\Gamma \vdash \text{finish} \{ \text{async} \{ e_1 \} \text{ async} \{ e_2 \} \}; e : t}$		$\boxed{\vdash I_1 \quad \vdash I_2}$ <p>WF-INTERFACE-EXTENDS</p> $\frac{}{\vdash \text{interface } I \text{ extends } I_1, I_2}$
$\boxed{\Gamma \vdash x : t_2 \quad \Gamma \vdash e : t}$ <p>WF-LOCK</p> $\frac{}{\Gamma \vdash \text{lock}(x) \text{ in } e : t}$	$\boxed{\vdash t}$ <p>WF-FIELD</p> $\frac{}{\vdash f : t}$	$\boxed{\vdash \Gamma \quad \vdash C \quad \vdash Fd \quad \vdash Md}$ <p>WF-CLASS</p> $\frac{\forall Fd \in Fds. \vdash Fd \quad \forall Md \in Mds. \text{this} : C \vdash Md}{\vdash \text{class } C \text{ implements } I \{ Fds Mds \}}$
$\boxed{\Gamma \vdash e : t \quad \Gamma(\iota) = t_2}$ <p>WF-LOCKED</p> $\frac{}{\Gamma \vdash \text{locked}_\iota\{e\} : t}$	$\boxed{\text{this} : C, x : t \vdash e : t'}$ <p>WF-METHOD</p> $\frac{}{\text{this} : C \vdash \text{def } m(x : t) : t' \{ e \}}$	

OOlong – Runtime Configuration

cfg	$::=$	$\langle H; V; T \rangle$	<i>(Configuration)</i>
H	$::=$	$\epsilon \mid H, \iota \mapsto obj$	<i>(Heap)</i>
V	$::=$	$\epsilon \mid V, x \mapsto v$	<i>(Variable map)</i>
T	$::=$	$(\mathcal{L}, e) \mid T_1 \parallel T_2 \triangleright e \mid \mathbf{EXN}$	<i>(Threads)</i>
obj	$::=$	(C, F, L)	<i>(Objects)</i>
F	$::=$	$\epsilon \mid F, f \mapsto v$	<i>(Field map)</i>
L	$::=$	locked \mid unlocked	<i>(Lock status)</i>
EXN	$::=$	NullPointerException	<i>(Exceptions)</i>

OOlong – Dynamic Semantics

$cfg_1 \hookrightarrow cfg_2$

(Evaluation of expressions)

$$\begin{array}{c}
 \text{DYN-EVAL-CONTEXT} \\
 \frac{}{\langle H; V; (\mathcal{L}, e) \rangle \hookrightarrow \langle H'; V'; (\mathcal{L}', e') \rangle} \\
 \hline
 \langle H; V; (\mathcal{L}, E[e]) \rangle \hookrightarrow \langle H'; V'; (\mathcal{L}', E[e']) \rangle
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-VAR} \\
 \frac{V(x) = v}{\langle H; V; (\mathcal{L}, x) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, v) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-LET} \\
 \frac{x' \text{ fresh } \quad V' = V[x' \mapsto v] \quad e' = e[x \mapsto x']}{\langle H; V; (\mathcal{L}, \text{let } x = v \text{ in } e) \rangle \hookrightarrow \langle H; V'; (\mathcal{L}, e') \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-CALL} \\
 \frac{\begin{array}{l} V(x) = \iota \quad H(\iota) = (C, F, L) \\ \mathbf{methods}(C)(m) = y : t_2 \rightarrow t, e \\ \mathbf{this}' \text{ fresh } \quad y' \text{ fresh } \\ V' = V[\mathbf{this}' \mapsto \iota][y' \mapsto v] \\ e' = e[\mathbf{this} \mapsto \mathbf{this}'][y \mapsto y'] \end{array}}{\langle H; V; (\mathcal{L}, x.m(v)) \rangle \hookrightarrow \langle H; V'; (\mathcal{L}, e') \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-CAST} \\
 \frac{}{\langle H; V; (\mathcal{L}, (t)v) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, v) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-SELECT} \\
 \frac{\begin{array}{l} V(x) = \iota \quad H(\iota) = (C, F, L) \\ F(f) = v \end{array}}{\langle H; V; (\mathcal{L}, x.f) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, v) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-UPDATE} \\
 \frac{\begin{array}{l} V(x) = \iota \quad H(\iota) = (C, F, L) \\ H' = H[\iota \mapsto (C, F[f \mapsto v], L)] \end{array}}{\langle H; V; (\mathcal{L}, x.f = v) \rangle \hookrightarrow \langle H'; V; (\mathcal{L}, \mathbf{null}) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-NEW} \\
 \frac{\begin{array}{l} \mathbf{fields}(C) \equiv f_1 : t_1, \dots, f_n : t_n \\ F \equiv f_1 \mapsto \mathbf{null}, \dots, f_n \mapsto \mathbf{null} \\ \iota \text{ fresh } \quad H' = H[\iota \mapsto (C, F, \mathbf{unlocked})] \end{array}}{\langle H; V; (\mathcal{L}, \mathbf{new } C) \rangle \hookrightarrow \langle H'; V; (\mathcal{L}, \iota) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-LOCK} \\
 \frac{\begin{array}{l} V(x) = \iota \quad H(\iota) = (C, F, \mathbf{unlocked}) \quad \iota \notin \mathcal{L} \\ H' = H[\iota \mapsto (C, F, \mathbf{locked})] \quad \mathcal{L}' \equiv \mathcal{L} \cup \{\iota\} \end{array}}{\langle H; V; (\mathcal{L}, \mathbf{lock}(x) \text{ in } e) \rangle \hookrightarrow \langle H'; V; (\mathcal{L}', \mathbf{locked}_{\iota\{\iota\}}(e)) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-LOCK-REENTRANT} \\
 \frac{V(x) = \iota \quad H(\iota) = (C, F, \mathbf{locked}) \quad \iota \in \mathcal{L}}{\langle H; V; (\mathcal{L}, \mathbf{lock}(x) \text{ in } e) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, e) \rangle}
 \end{array}$$

$$\begin{array}{c}
 \text{DYN-EVAL-LOCK-RELEASE} \\
 \frac{\begin{array}{l} H(\iota) = (C, F, \mathbf{locked}) \quad \mathcal{L}' \equiv \mathcal{L} \setminus \{\iota\} \\ H' = H[\iota \mapsto (C, F, \mathbf{unlocked})] \end{array}}{\langle H; V; (\mathcal{L}, \mathbf{locked}_{\iota\{\iota\}}(v)) \rangle \hookrightarrow \langle H'; V; (\mathcal{L}', v) \rangle}
 \end{array}$$

OOlong – Concurrency

$cfg_1 \hookrightarrow cfg_2$

(Concurrency)

DYN-EVAL-ASYNC-LEFT

$$\frac{\langle H; V; T_1 \rangle \hookrightarrow \langle H'; V'; T'_1 \rangle}{\langle H; V; T_1 || T_2 \triangleright e \rangle \hookrightarrow \langle H'; V'; T'_1 || T_2 \triangleright e \rangle}$$

DYN-EVAL-ASYNC-RIGHT

$$\frac{\langle H; V; T_2 \rangle \hookrightarrow \langle H'; V'; T'_2 \rangle}{\langle H; V; T_1 || T_2 \triangleright e \rangle \hookrightarrow \langle H'; V'; T_1 || T'_2 \triangleright e \rangle}$$

DYN-EVAL-SPAWN

$$\frac{e = \mathbf{finish} \{ \mathbf{async} \{ e_1 \} \mathbf{async} \{ e_2 \} \} ; e_3}{\langle H; V; (\mathcal{L}, e) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, e_1) || (\emptyset, e_2) \triangleright e_3 \rangle}$$

DYN-EVAL-SPAWN-CONTEXT

$$\frac{\langle H; V; (\mathcal{L}, e) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, e_1) || (\emptyset, e_2) \triangleright e_3 \rangle}{\langle H; V; (\mathcal{L}, E[e]) \rangle \hookrightarrow \langle H; V; (\mathcal{L}, e_1) || (\emptyset, e_2) \triangleright E[e_3] \rangle}$$

DYN-EVAL-ASYNC-JOIN

$$\frac{}{\langle H; V; (\mathcal{L}, v) || (\mathcal{L}', v') \triangleright e \rangle \hookrightarrow \langle H; V; (\mathcal{L}, e) \rangle}$$

OOlong – Type Soundness

PROGRESS. A well-formed configuration is either done, has thrown an exception, has **deadlocked**, or can take one additional step:

$$\begin{aligned} \forall \Gamma, H, V, T, t . \Gamma \vdash \langle H; V; T \rangle : t \Rightarrow \\ T = (\mathcal{L}, v) \vee T = EXN \vee \text{Blocked}(\langle H; V; T \rangle) \vee \\ \exists cfg', \langle H; V; T \rangle \hookrightarrow cfg' \end{aligned}$$

PRESERVATION. If $\langle H; V; T \rangle$ types to t under some environment Γ , and $\langle H; V; T \rangle$ steps to some $\langle H'; V'; T' \rangle$, there exists an environment subsuming Γ which types $\langle H'; V'; T' \rangle$ to t .

$$\begin{aligned} \forall \Gamma, H, H', V, V', T, T', t . \\ \Gamma \vdash \langle H; V; T \rangle : t \wedge \langle H; V; T \rangle \hookrightarrow \langle H'; V'; T' \rangle \Rightarrow \\ \exists \Gamma'. \Gamma' \vdash \langle H'; V'; T' \rangle : t \wedge \Gamma \subseteq \Gamma' \end{aligned}$$

Mechanised Semantics

- Fully mechanised in Coq
 - + “uninteresting” details (fresh variables etc.)
- Follows style of *Software Foundations* (Pierce et al.)
- Total weight: ~4100 LOC
 - Specification: ~1700 LOC
 - Proofs: ~2200 LOC
 - Tactics etc: ~200 LOC
- Also makes use of LibTactics and Adam Chlipala’s crush tactic

$$\boxed{\Gamma \vdash e : t}$$
$$\frac{\text{WF-VAR} \quad \vdash \Gamma \quad \Gamma(x) = t}{\Gamma \vdash x : t}$$

(Typing Expressions)

$$\frac{\text{WF-LET} \quad \Gamma \vdash e_1 : t_1 \quad \Gamma, x : t_1 \vdash e_2 : t}{\Gamma \vdash \mathbf{let}\ x = e_1 \ \mathbf{in}\ e_2 : t}$$

```
Inductive hasType (P : program) (Gamma : env) :  
  expr -> ty -> Prop :=  
| T_Var :  
  forall x t,  
  wfEnv P Gamma ->  
  Gamma (env_var x) = Some t ->  
  P; Gamma |- EVar x \in t  
| T_Let :  
  forall x e1 e2 t1 t,  
  P; Gamma |- e1 \in t1 ->  
  P; extend Gamma (env_var (SV x)) t1 |-  
    e2 \in t ->  
    no_locks e2 ->  
  P; Gamma |- ELet x e1 e2 \in t  
...
```

Comparison of Mechanisations

	FJ	C1J	ConJ	MJ	LJ	WJ	OOLong
State		×	×	×	×	×	×
Statements				×	×	×	
Expressions	×	×	×	×			×
Class Inheritance	×	×	×	×	×	×	
Interfaces		×					×
Concurrency			×			×	×
Stack				×		×	
Mechanised LATEX sources	*x*				×		×

~2600 LOC

~2300 LOC

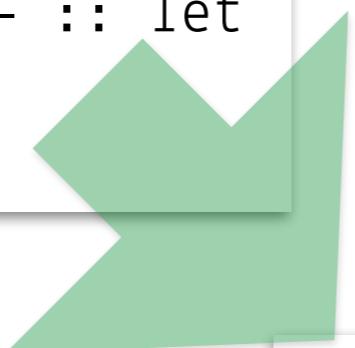
~6500 LOC

~4100 LOC

Typesetting OOlong with OTT

- Ott is a tool for writing language definitions [Zappa Nardelli et al.]
- Syntax checking of type-rules
- Generates LaTeX figures

```
G |- e1 : t1
G, x : t1 |- e2 : t
----- :: let
G |- let x = e1 in e2 : t
```



WF-LET

$$\frac{\Gamma \vdash e_1 : t_1 \quad \Gamma, x : t_1 \vdash e_2 : t}{\Gamma \vdash \text{let } x = e_1 \text{ in } e_2 : t}$$

$\Gamma \vdash \text{let } x = e_1 \text{ in } e_2 : t$

OOlong Sources Available Online

6 commits 1 branch 0 releases 1 contributor

Branch: master ▾ New pull request Create new file Upload files Find file Clone or download ▾

	EliasC Better naming for blocked	Latest commit b86b30b on 1 Dec 2017
coq	Initial commit	4 months ago
ott	Better naming for blocked	4 months ago
.gitignore	Initial commit	4 months ago
README.md	Headers are nice	4 months ago
README.md		

OOlong

This repository contains the Ott and Coq sources for OOlong, a concurrent object calculus for modelling object-oriented languages. The calculus was first presented in the article "OOlong: An Extensible Concurrent Object Calculus" (link forthcoming).

Conclusion

- OOlong is a simple and extensible object calculus
 - Aliasing and state
 - Subtyping (no inheritance)
 - Concurrency and synchronisation
- Mechanised semantics for rigorous formalisation
- OTT sources for reusability and LaTeX typesetting
- Sources publicly available for researchers looking to avoid reinventing the wheel



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OOlong – An Extensible Concurrent Object Calculus

Thank you!

